

Newtonian Quantum Gravity

Classical grav

- ✓ matter moves
- QFT in curved s.t.
- ✗ matter curves
- ???



$$\hookrightarrow G_{\mu\nu} \propto \hat{T}_{\mu\nu}$$

Dyson: graviton scattering

2) Naive semi-classical gravity

Moller Rosenfeld '60

$$G_{\mu\nu} \propto \langle \psi | \hat{T}_{\mu\nu} | \psi \rangle$$

$$\leadsto \Delta \Phi \propto -m |\psi|^2$$

Schrodinger eq:

$$\text{add } m \int \frac{|\psi(y)|^2}{|x-y|} dy \psi(x)$$

Schrodinger
Newton



→ Born Rule breaks down

→ FTL signaling

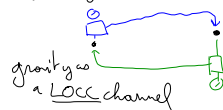
≈ Falsified
Page and Geilker

The argument
for quantum
stimulation

3) Other options for classical

$G_{\mu\nu} \propto$ measurements

a) Kafri Taylor Milburn

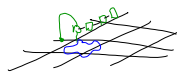


gravity is
a LOCC channel

- No paradox
- ✗ perturbative
- ✗ no classical grav field

b) Lajos Diosi

monitor mass density



$$\Delta \Phi \propto \text{mass density}$$

non perturbative ✗ need a cutoff

Consequences

- computed pair $\hat{V}$
- disturbance ('strong') $\leadsto$ same as for collapse models
- GR is hard

4) Q.G

a) 2nd order

↳ pairwise

$$\frac{|\psi(x)| |\psi(y)|}{|x-y|}$$

b) 1st order

Miles Blencowe 2013 $\leadsto$ disturbance but weaker.

c) 2nd order?

$\leadsto \approx 0$

loop, string, ...

Dyson OK

5) other effects

- time dilation
- Pikovski et al 2014
- ↳ Rindler effects

6) Tests

- large massive superpositions